Surface Splatting

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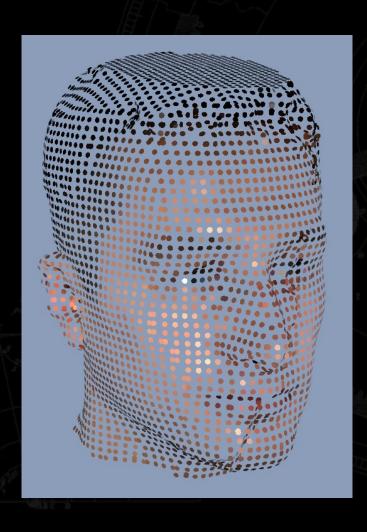




Outline

- Introduction
- Related work
- Technical discussion
- Further issues
- Conclusion

Point Rendering



- Surfaces are represented as a set of points without connectivity information
- Points store several surface attributes (surfels)
- To render, forward project each point separately

Point vs. Polygon Rendering

Points

- Efficient for highly complex models
- Fast preprocessing
- *Ad hoc texture filtering and image reconstruction

Polygons

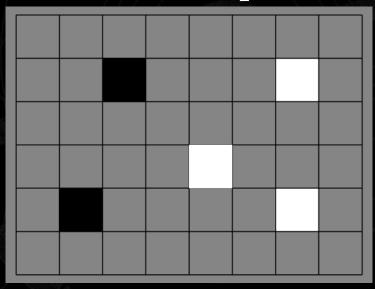
- Good for flat or slightly curved
- Oustayanesh generation and LOD
- Hatch structures texture filtering algorithms available

Image Reconstruction

- Generate a raster image from projected points
- Similar to polygon rasterization: Sample projected rendering primitives at output pixel locations
- Avoid sampling artifacts (holes, aliasing)

Sampling Artifacts

screen space



pixel sampling

Pixel Sampling

minification

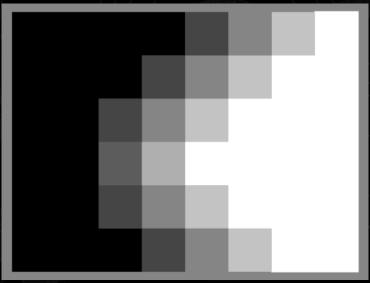
128 x 192

aliasing

holes

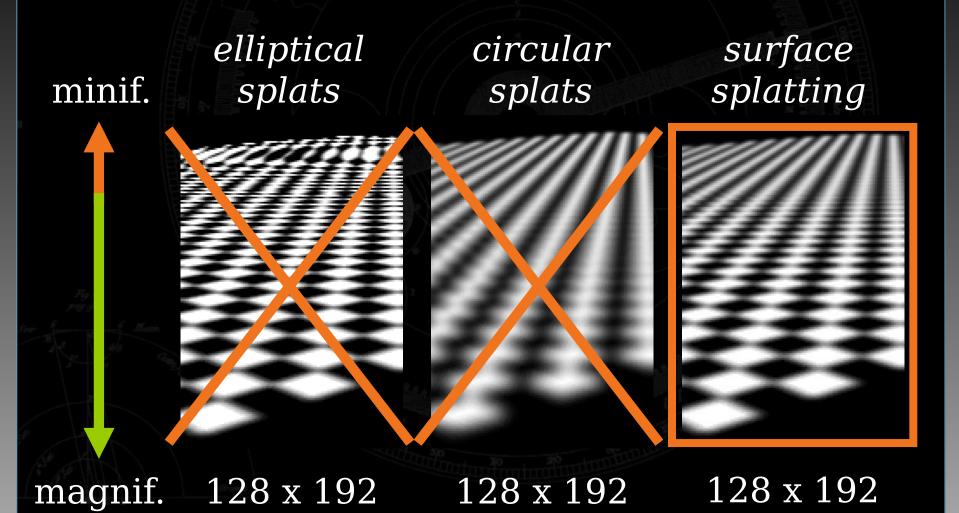
Splatting

screen space



splatting

Splatting Comparison



Related Work

Point Rendering

- Levoy, Whitted 1985
- Rusinkiewicz, Levoy 2000 Heckbert 1989
- Pfister et al. 2000

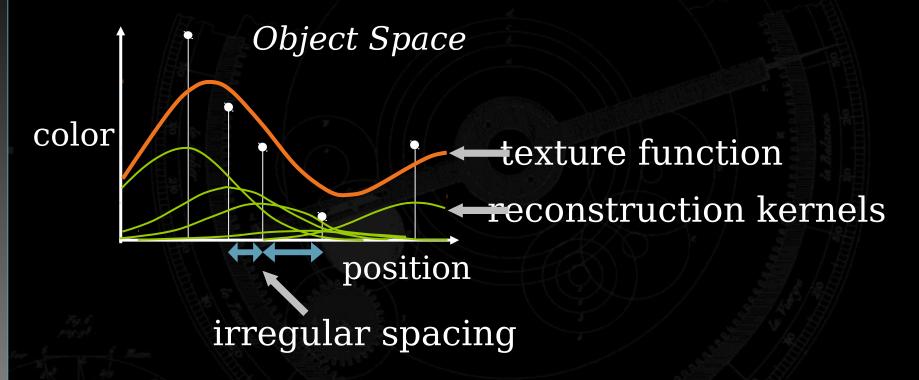
Volume Rendering
Image-based Rendering

Texture Mapping

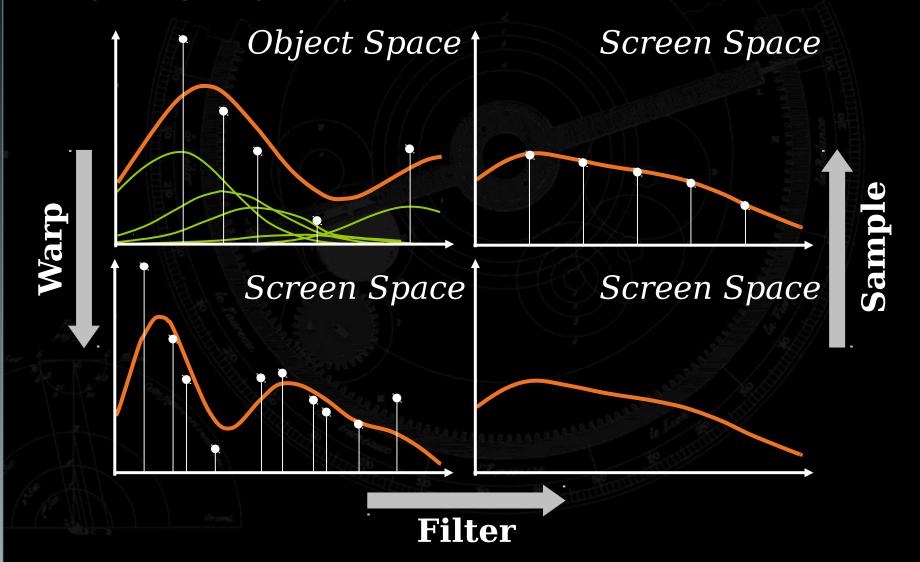
- Greene, Heckbert 1986
- Heckbert 1989 *EWA texture filter*

Surface Splatting

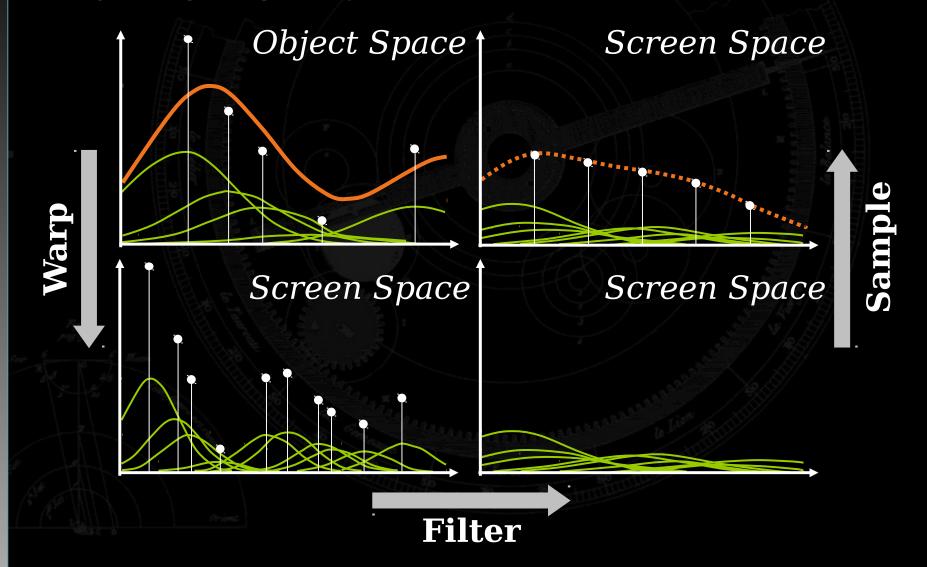
The Surface Splatting Framework: 1D



The Surface Splatting Framework: 1D



The Surface Splatting Framework: 1D

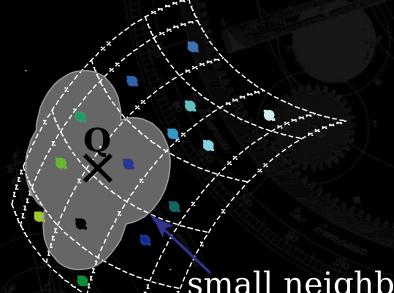


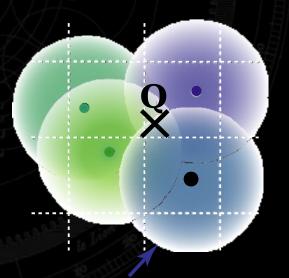
2D Texture Function

local parameterization

3D object space

2D parameterization





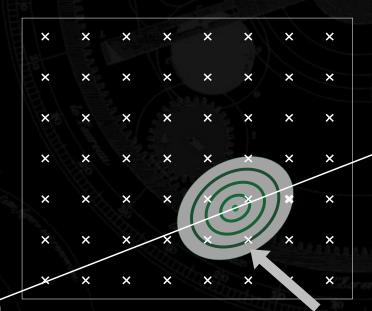
small neighborhood reconstruction kernel around **Q**

Warping the 2D Texture Function

forward projection

screen space

object space



reconstruction kernel

warped reconstruction kernel

Projecting the Reconstruction Kernels



Mathematical Formulation

$$g(x) = \sum_{k} w_{k} r_{k} (m^{1}(x)) \otimes h(x)$$

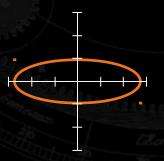
screen space resampling filter

- The *screen space* resampling filter combines a *warped reconstruction kernel* and a *lowpass filter*
- The *screen space* formulation is inverse to Heckbert's *source space* resampling filter

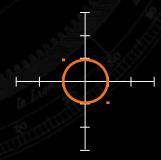
Gaussian Kernels

$$g(x) = \sum_{k} w_{k} r_{k} (m^{1}(x)) \otimes h(x)$$

Gaussian Gaussian reconstruction kernel low-pass filter



screen space



screen space

Gaussian Kernels

Closed under affine mappings and convolution

$$g(x) = \sum_{k} w_{k} r_{k} (m^{1}(x)) \otimes h(x)$$
$$= \sum_{k} w_{k} G_{k}(x)$$

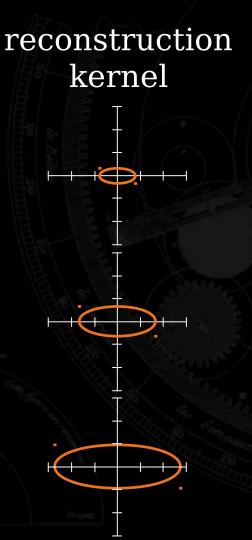
Gaussian resampling filter "screen space EWA"

 Analytic expression of the resampling filter can be computed efficiently

The Surface Splatting Algorithm

```
for each point P {
  project P to screen space;
  shade P;
  determine resampling kernel G;
  splat G;
}
```

Reconstruction Kernel Only



minification
aliasing

smooth reconstruction

Low-Pass Filter Only



minification

no aliasing

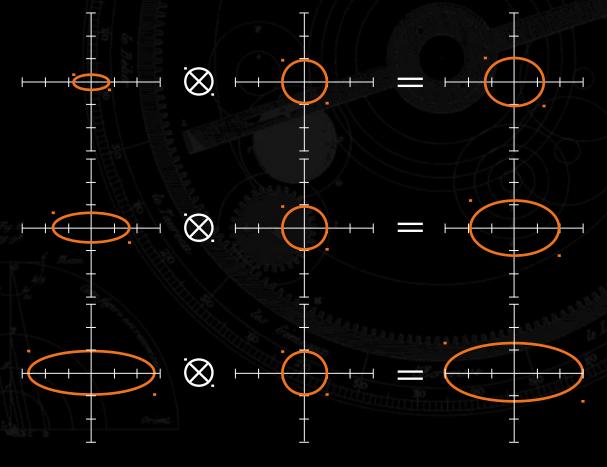
holes

Screen Space EWA **Properties**

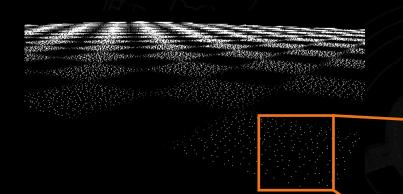
warped recon- low-pass struction kernel filter

resampling filter

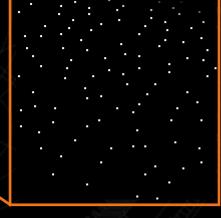
minification



Irregular Textures



pixel sampling



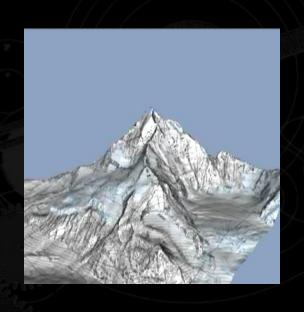
sampling pattern

screen space EWA

Filter Normalization

- In the irregular setting, the resampling kernels do not sum up to one
- Solution alternatives:
 - In a pre-process, optimize the weights such that normalization is not necessary
 - Perform per pixel normalization after sampling at the pixel centers

Textured Digital Terrain

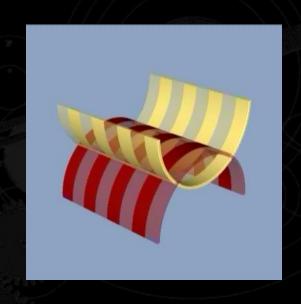


Further Issues

- Mathematical formulation of the resampling filter
- Details of the surface splatting algorithm
- Texture acquisition, weight computation

- Rendering semi-transparent surfaces
- Edge antialiasing

Semi-transparent Surfaces Edge Antialiasing



Summary: Surface Splatting

- Point rendering method with high-quality image reconstruction
- Based on Paul Heckbert's EWA texture filter
- Anisotropic texture filtering for irregular point-sampled objects
- Transparency, edge antialiasing
- Can replace heuristics of previous splatting methods and provides superior texture quality

Future Work

- Computation of Gaussian reconstruction kernels
- Scanned objects
- Compression
- Volume rendering (IEEE Visualization 2001)
- Hardware acceleration

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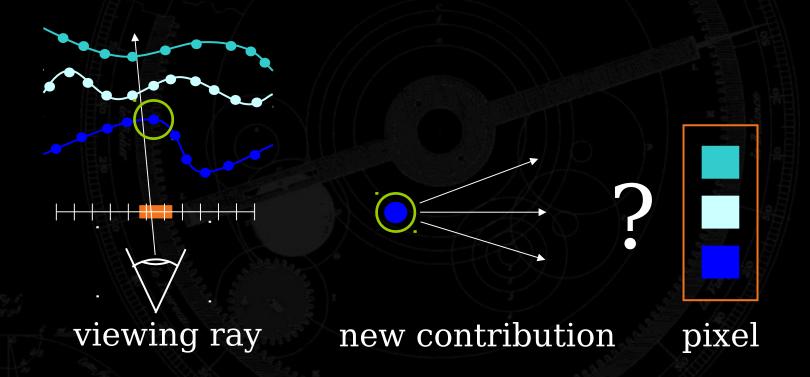
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Transparency

- Use modified A-buffer algorithm
- Contributions of each surface are accumulated in a separate bucket
- Challenge is to correctly decide to which bucket a new contribution belongs

Transparency



- Extrapolate depth on tangent plane
- Use depth comparisons to find correct bucket
- Blend buckets back-to-front